

2003, 2004, 2010, 2012). (2003), (2010, 2012), (2006, 1-8), (2003).

Empirical food web and regional pool data

2003, 2010. S. *ea*, (32°10', 81°60'), (46°71', 71°27'), (58°4', 122°54'). 3 S. *ea* (2003, 2010).

3 6 (2004). 20 (1 2005).

Let $\xi = \xi_1, \dots, \xi_n$ be a random vector with components ξ_i independent and identically distributed with density $f(x)$. Let L, W, T be

$$L = \sum_{i=1}^n \xi_i, \quad W = \sum_{i=1}^n \xi_i^2, \quad T = \sum_{i=1}^n \xi_i^3 \quad (2)$$

Let $f(d, \theta)$ be the joint density of L, W, T for $d = 1, 2, 3$.

$$f(d, \theta) = \frac{d^{-1} e^{-d/\theta}}{(-1)!\theta} \quad (3)$$

Let $d(\theta)$ be the density of θ .

Metrics of food-web structure and statistical analysis of model fit

$(C = L/S^2)$, $(LD = L/S)$, TD , (2008).
 b, (2010). b-
 1000
 $0.025 \geq \dots \leq 0.75$, < 0.025 ,
 > 0.75 ,

Model sensitivity

s
 (1),
 a_{ij} ,
 $(= 1, q = 0.1)$.
 25% 20%
 25% 20%. s
 $E d$,
 a_{ij} ($= 6, q = 0.05$),
 a_{ij} ,
 45 15 1000
 a_{ij} ,
 31 144, (1,)-2144, 144, 2, 144, 144 / 1.2 -1.125,

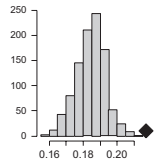
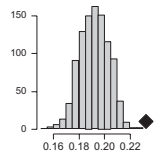
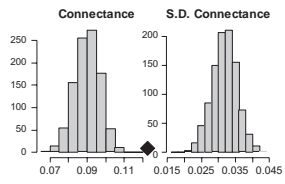
(D)



(E)

(F)





2008. 171 568 57 .
2008. 117 665 67.
2010. s 3 223 237.
2011. 108 1 2 3 1 2 8.
1 82.
1 1. 138 123 155.
2002. s 17 26 277.
2000. 405 1047 104 .
2010. 42 13 170.
2010.